# demo\_notebook

September 10, 2024

## **1 Example Jupyter notebook to work with the data**

# **2 Read in and plot the Apollo 12 Grade A catalog**

```
[1]: # Import libraries
     import numpy as np
     import pandas as pd
     from obspy import read
     from datetime import datetime, timedelta
     import matplotlib.pyplot as plt
     import os
```
Let's take a look at the training data for the lunar dataset. In addition to the data itself, we include a catalog that will tell you which events happen when in the data. The catalog includes the name of the file, the absolute time, the relative time in seconds (relative to the start of the file), the event ID (evid), and the type of moonquake. The types of moonquakes include impacts, deep moonquakes, and shallow moonquakes. You do not have to worry about predicting the type of moonquakes, that's just fun information for you to know!

**Note**: For your prediction, feel free to include either the absolute time or relative time, just make sure to mark it using the same header in the CSV file so we can easily score it!

```
[2]: cat directory = './data/lunar/training/catalogs/'
     cat_file = cat_directory + 'apollo12_catalog_GradeA_final.csv'
     cat = pd.read_csv(cat_file)cat
```


75 xa.s12.00.mhz.1975-06-26HR00\_evid00198 1975-06-26T03:24:00.000000



[76 rows x 5 columns]

## **2.1 Select a detection**

Let's pick the first seismic event in the catalog and let's take a look at the absolute time data. The way we show it here is by using pandas .iloc and datetime .strptime. We are going to keep the format shown in the absolute time header, which is '%Y-%m-%dT%H:%M:%S.%f'

```
[3]: row = cat.iloc[6]arrival_time = datetime.strptime(row['time_abs(%Y-%m-%dT%H:%M:%S.
      ↪%f)'],'%Y-%m-%dT%H:%M:%S.%f')
     arrival_time
```
[3]: datetime.datetime(1970, 6, 26, 20, 1)

```
[4]: # If we want the value of relative time, we don't need to use datetime
     arrival_time_rel = row['time_rel(sec)']
     arrival_time_rel
```
[4]: 72060.0

```
[5]: # Let's also get the name of the file
     test_filename = row.filename
     test_filename
```
[5]: 'xa.s12.00.mhz.1970-06-26HR00\_evid00009'

#### **2.2 Read the CSV file corresponding to that detection**

We will now find the csv data file corresponding to that time and plot it!

```
[6]: data_directory = './data/lunar/training/data/S12_GradeA/'
     csv_file = f'{data_directory}{test_filename}.csv'
```
data\_cat = pd.read\_csv(csv\_file) data\_cat



[572423 rows x 3 columns]

```
[7]: # Read in time steps and velocities
     csv_times = np.array(data_cat['time_rel(sec)'].tolist())
     csv_data = np.array(data_cat['velocity(m/s)'].tolist())
     # Plot the trace!
     fig, ax = plt.subplots(1, 1, figsize=(10, 3))ax.plot(csv_times,csv_data)
     # Make the plot pretty
     ax.set_xlim([min(csv_times),max(csv_times)])
     ax.set_ylabel('Velocity (m/s)')
     ax.set_xlabel('Time (s)')
     ax.set_title(f'{test_filename}', fontweight='bold')
     # Plot where the arrival time is
     arrival_line = ax.axvline(x=arrival_time_rel, c='red', label='Rel. Arrival')
     ax.legend(handles=[arrival_line])
```
[7]: <matplotlib.legend.Legend at 0x27b41dbca30>



What if you wanted to plot in absolute time instead? The operations are very similar, just with a little extra datetime. It takes a bit longer, so we recommend working in relative time to start with!

```
[8]: # Read in time steps and velocities
     csv_times_dt = []
     for absval_str in data_cat['time_abs(%Y-%m-%dT%H:%M:%S.%f)'].values:
         csv_times_dt.append(datetime.strptime(absval_str,'%Y-%m-%dT%H:%M:%S.%f'))
     csv\_data = np.array(data\_cat['velocity(m/s)'] .tolist())# Plot the trace!
     fig, ax = plt.subplots(1, 1, figsize=(10, 3))ax.plot(csv_times_dt,csv_data)
     # Make the plot pretty
     ax.set_xlim((np.min(csv_times_dt),np.max(csv_times_dt)))
     ax.set_ylabel('Velocity (m/s)')
     ax.set_xlabel('Time (month-day hour)')
     ax.set_title(f'{test_filename}', fontweight='bold')
     # Plot where the arrival time is
     arrival_line = ax.axvline(x=arrival_time, c='red', label='Abs. Arrival')
     ax.legend(handles=[arrival_line])
```
[8]: <matplotlib.legend.Legend at 0x27b47983ee0>



#### **2.2.1 Alternatively: read the miniseed file corresponding to that detection**

Same procedure as above, just using the miniseed file.

```
[9]: data directory = './data/lunar/training/data/S12 GradeA/'
      mseed_file = f'{data_directory}{test_filename}.mseed'
      st = read(mseed file)st
 [9]: 1 Trace(s) in Stream:
     XA.S12.00.MHZ | 1970-06-26T00:00:00.116000Z - 1970-06-27T00:00:03.436755Z | 6.6
     Hz, 572423 samples
[10]: # The stream file also contains some useful header information
      st[0].stats
[10]: network: XA
              station: S12
             location: 00
              channel: MHZ
             starttime: 1970-06-26T00:00:00.116000Z
              endtime: 1970-06-27T00:00:03.436755Z
        sampling_rate: 6.625
                delta: 0.1509433962264151
                 npts: 572423
                calib: 1.0
              _format: MSEED
                mseed: AttribDict({'dataquality': 'D', 'number_of_records': 1136,
      'encoding': 'FLOAT64', 'byteorder': '>', 'record_length': 4096, 'filesize':
      4653056})
[11]: # This is how you get the data and the time, which is in seconds
```

```
tr = st.traces[0].copy()
```

```
tr_times = tr.time()tr data = tr.data# Start time of trace (another way to get the relative arrival time using␣
 ↪datetime)
starttime = tr.stats.starttime.datetime
arrival = (arrival_time - starttime).total_seconds()
arrival
```
[11]: 72059.884

#### **2.2.2 Plot the trace and mark the arrival!**

Use a similar method to plot the miniseed data and seismic arrival.

```
[12]: # Initialize figure
      fig, ax = plt.subplots(1, 1, figsize=(10, 3))# Plot trace
      ax.plot(tr_times,tr_data)
      # Mark detection
      ax.axvline(x = arrival, color='red',label='Rel. Arrival')
      ax.legend(loc='upper left')
      # Make the plot pretty
      ax.set_xlim([min(tr_times),max(tr_times)])
      ax.set_ylabel('Velocity (m/s)')
      ax.set_xlabel('Time (s)')
      ax.set_title(f'{test_filename}', fontweight='bold')
```
[12]: Text(0.5, 1.0, 'xa.s12.00.mhz.1970-06-26HR00\_evid00009')



There are multiple ways that we can do the absolute time using datetime, here is a simple way using the .timedelta method

```
[13]: # Create a vector for the absolute time
      tr_times_dt = []for tr_val in tr_times:
          tr_times_dt.append(starttime + timedelta(seconds=tr_val))
      # Plot the absolute result
      fig, ax = plt.subplots(1, 1, figsize=(10, 3))# Plot trace
      ax.plot(tr_times_dt,tr_data)
      # Mark detection
      arrival_line = ax.axvline(x=arrival_time, c='red', label='Abs. Arrival')
      ax.legend(handles=[arrival_line])
      # Make the plot pretty
      ax.set_xlim([min(tr_times_dt),max(tr_times_dt)])
      ax.set_ylabel('Velocity (m/s)')
      ax.set_xlabel('Time (s)')
      ax.set_title(f'{test_filename}', fontweight='bold')
```
[13]: Text(0.5, 1.0, 'xa.s12.00.mhz.1970-06-26HR00\_evid00009')



It's completely up to you whether to work with the CSV file or the miniseed files. We recommend working with the miniseed file as it's a bit faster to run.

## **2.3 Let's filter the trace**

Sometimes, it's useful to filter the trace to bring out particular frequencies. This will change the shape of the data and make it easier to see certain parts of the signal. In this example, we will filter the data using a bandpass filter between 0.01 Hz to 0.5 Hz.

```
[14]: # Set the minimum frequency
     minfreq = 0.5maxfreq = 1.0# Going to create a separate trace for the filter data
      st_filt = st.copy()st_filt.filter('bandpass',freqmin=minfreq,freqmax=maxfreq)
      tr_filt = st_filt.traces[0].copy()tr_times_filt = tr_filt.time()tr_data_filt = tr_filt.data
[15]: # To better see the patterns, we will create a spectrogram using the scipy
      ↪function
      # It requires the sampling rate, which we can get from the miniseed header as␣
      ↪shown a few cells above
      from scipy import signal
      from matplotlib import cm
     f, t, sxx = signal.spectrogram(tr_data_filt, tr_filt.stats.sampling_rate)
[16]: # Plot the time series and spectrogram
     fig = plt.figure(figsize=(10, 10))
      ax = plt.subplot(2, 1, 1)# Plot trace
      ax.plot(tr_times_filt,tr_data_filt)
      # Mark detection
      ax.axvline(x = arrival, color='red', label='Detection')ax.legend(loc='upper left')
      # Make the plot pretty
      ax.set_xlim([min(tr_times_filt),max(tr_times_filt)])
      ax.set_ylabel('Velocity (m/s)')
      ax.set_xlabel('Time (s)')
      ax2 = plt.subplot(2, 1, 2)vals = ax2.pcolormesh(t, f, sxx, cmap=cm.jet, vmax=5e-17)
      ax2.set_xlim([min(tr_times_filt),max(tr_times_filt)])
      ax2.set_xlabel(f'Time (Day Hour:Minute)', fontweight='bold')
      ax2.set_ylabel('Frequency (Hz)', fontweight='bold')
      ax2.axvline(x=arrival, c='red')
      cbar = plt.colorbar(vals, orientation='horizontal')
      cbar.set_label('Power ((m/s)^2/sqrt(Hz))', fontweight='bold')
```


# **3 Sample short-term average / long-term average (STA/LTA) detection algorithm**

A STA/LTA algorithm moves two time windows of two lengths (one short, one long) across the seismic data. The algorithm calculates the average amplitude in both windows, and calculates the ratio between them. If the data contains an earthquake, then the short-term window containing the earthquake will be much larger than the long-term window – resulting in a detection.

```
[17]: from obspy.signal.invsim import cosine_taper
      from obspy.signal.filter import highpass
      from obspy.signal.trigger import classic_sta_lta, plot_trigger, trigger_onset
      # Sampling frequency of our trace
```

```
df = tr.stats.sampling_rate
# How long should the short-term and long-term window be, in seconds?
sta_len = 120lta_{\text{len}} = 600# Run Obspy's STA/LTA to obtain a characteristic function
# This function basically calculates the ratio of amplitude between the␣
 ↪short-term
# and long-term windows, moving consecutively in time across the data
cft = classic_sta_lta(tr_data, int(sta_len * df), int(lta_len * df))
# Plot characteristic function
fig, ax = plt.subplots(1, 1, figsize=(12, 3))ax.plot(tr_times,cft)
ax.set_xlim([min(tr_times),max(tr_times)])
ax.set_xlabel('Time (s)')
ax.set_ylabel('Characteristic function')
```
[17]: Text(0, 0.5, 'Characteristic function')



Next, we define the values of the characteristic function (i.e. amplitude ratio between short-term and long-term windows) where we flag a seismic detection. These values are called triggers. There are two types of triggers – "on" and "off", defined as follows:

- 1. "on" : If the characteristic function is above this value, then a seismic event begins.
- 2. "off" : If the characteristic function falls below this value (after an "on" trigger), than a seismic event ends.

```
[18]: # Play around with the on and off triggers, based on values in the
       ↪characteristic function
      thr_on = 4thr_off = 1.5on_off = np.array(trigger_onset(cft, thr_on, thr_off))
      # The first column contains the indices where the trigger is turned "on".
```

```
# The second column contains the indices where the trigger is turned "off".
# Plot on and off triggers
fig, ax = plt.subplots(1, 1, figsize=(12, 3))for i in np.arange(0,len(on_off)):
    triggers = on_{off[i]}ax.axvline(x = tr_times[triggers[0]], color='red', label='Trig. On')
    ax.axvline(x = tr_times[triggers[1]], color='purple', label='Trig. Off')
# Plot seismogram
ax.plot(tr_times,tr_data)
ax.set_xlim([min(tr_times),max(tr_times)])
ax.legend()
```
[18]: <matplotlib.legend.Legend at 0x27b01c16a60>



**Note**: You do not have to worry about marking the end of the seismic trace (as you can see, even for us it's not very accurate!). For this challenge, all we care about is the start of the seismic waveform.

## **3.1 Sample detection export into a catalog!**

There are many ways to do this, but we'll show a way to do it using pandas.

```
[19]: # File name and start time of trace
      fname = row.filename
      starttime = tr.stats.starttime.datetime
      # Iterate through detection times and compile them
      detection times = []fnames = []for i in np.arange(0,len(on_off)):
          triggers = on_{off[i]}on_time = starttime + timedelta(seconds = tr_times[triggs[0]])
          on_time_str = datetime.strftime(on_time,'%Y-%m-%dT%H:%M:%S.%f')
```

```
detection_times.append(on_time_str)
    fnames.append(fname)
# Compile dataframe of detections
detect_df = pd.DataFrame(data = {'filename':fnames, 'time_abs(%Y-%m-%dT%H:%M:%S.
 ↪%f)':detection_times, 'time_rel(sec)':tr_times[triggers[0]]})
detect df.head()
```
 $[19]:$  filename time\_abs(%Y-%m-%dT%H:%M:%S.%f) \ 0 xa.s12.00.mhz.1970-06-26HR00\_evid00009 1970-06-26T20:03:21.323547

time\_rel(sec) 0 72201.207547

This can then be exported to a csv using:

detect df.to csv('output/path/catalog.csv', index=False)

# **4 Download additional data from Earth-based stations**

You may find that you need to download additional data from Earth stations to supplement your models and algorithms. We recommend that you download any events from IRIS (Incorporated Research Institutations for Seismology).

https://www.iris.edu/hq/

**Note**: The organization has been recently renamed to SAGE (Seismological Facility for the Advancement of Geoscience), but all the previous links should still work.

They maintain and curate data from seismic stations all around the world. There are many different ways to get data from them, but I recommend using the utility *PyWeed*:

https://ds.iris.edu/ds/nodes/dmc/software/downloads/pyweed/

We can use the utility to select seismic stations and the earthquake data (or **events**) recorded at those stations.

For this test case, let's download all of the earthquakes magnitude 3 and above that are within 1 degree distance (approximately 110 km) from a site called PFO (Pinon Flat Observatory) in California. **Location** is a number designating the instrument at a particular site (sites may have multiple instruments), and **channel** is an IRIS code that specifies instrument information.

In short, the first latter refers to the samplerate of the instrument (how many data points it records per second), the second to the type of instrument (certain types of seismometers are better at recording nearby earthquakes while others are more suited for distant earthquakes), and the last to the directional component being recored (most seismometers will record motion across two horizontal directions and the vertical). We will pick the channel HHZ, which refers to a (H) highsamplerate (100 samples per second) (H) strong-motion accelerometer (best resolution for nearby strong earthquakes) recording in the (Z) vertical direction. Once you've selected all the earthquakes, you can download the traces.

An earthquake is composed of the following types of waves (in order): pressure (P-wave), shear (S-wave), and surface (Rayleigh and Love). For our challenge, we are only interested in identifying the start of the earthquake. The IRIS dataset contains P-wave arrivals (onset of the P-wave at the seismometer) for each earthquake. In order to get noise prior to the earthquake arrival, we pick our data traces to span 101 seconds before to 60 seconds past the P-wave arrival:

As you can see from the output list, some of the earthquakes don't record any earthquake data (3.4 Ml 2005-08-31) and others have an incorrect P-wave arrival time (4.0 Ml 2005-08-31). Make sure to go through the earthquakes and remove those types of events from the waveform preview prior to download. For output file type, choose miniseed to match the planetary data (SAC is probably fine too, but the file sizes tend to be a bit bigger).

## **4.1 Thank you very much for being a part of this challenge! Good luck!!!**